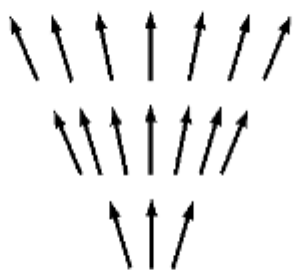
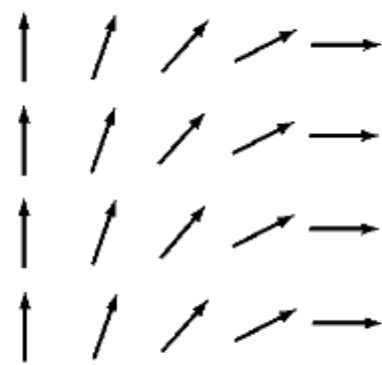


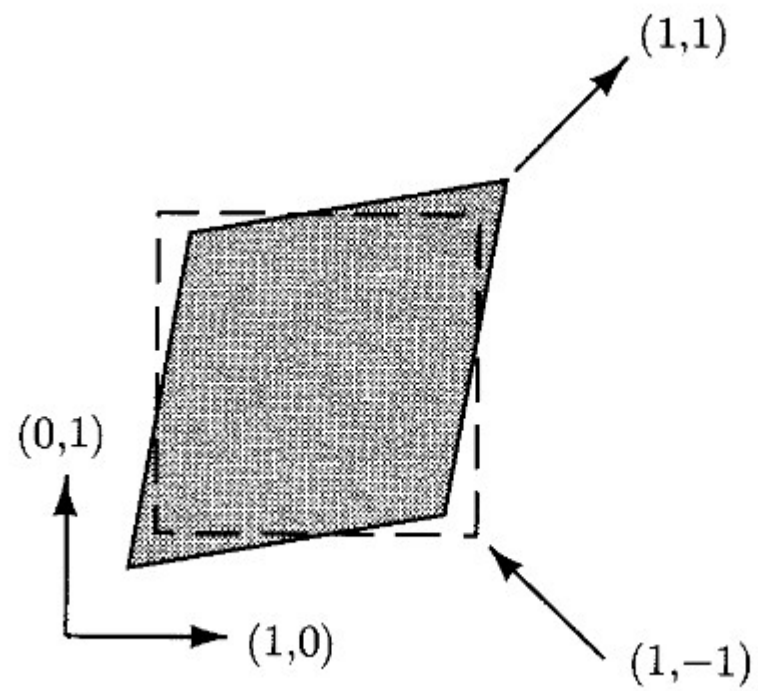
(a)



(b)



(c)



NUMBER OF INDEPENDENT ELASTIC CONSTANTS

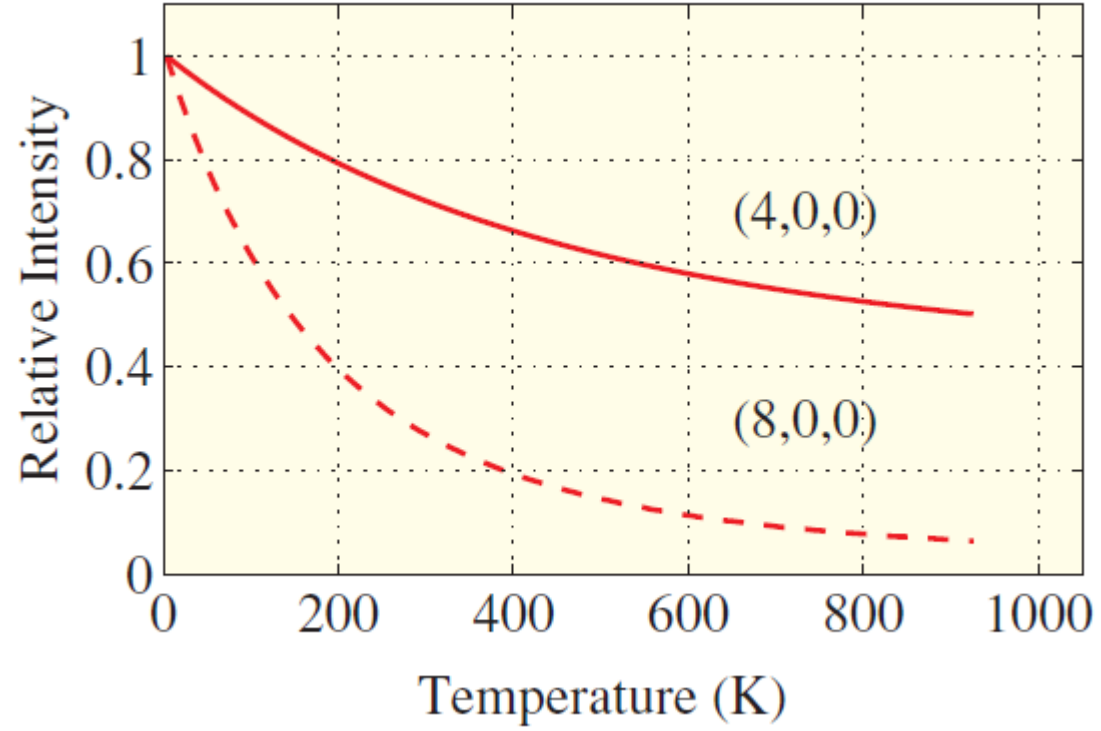
CRYSTAL SYSTEM	POINT GROUPS	ELASTIC CONSTANTS
Triclinic	all	21
Monoclinic	all	13
Orthorhombic	all	9
Tetragonal	C_4, C_{4h}, S_4 $C_{4v}, D_4, D_{4h}, D_{2d}$	7 6
Rhombohedral	C_3, S_6 C_{3v}, D_3, D_{3d}	7 6
Hexagonal	all	5
Cubic	all	3

ELASTIC CONSTANTS FOR SOME CUBIC CRYSTALS^a

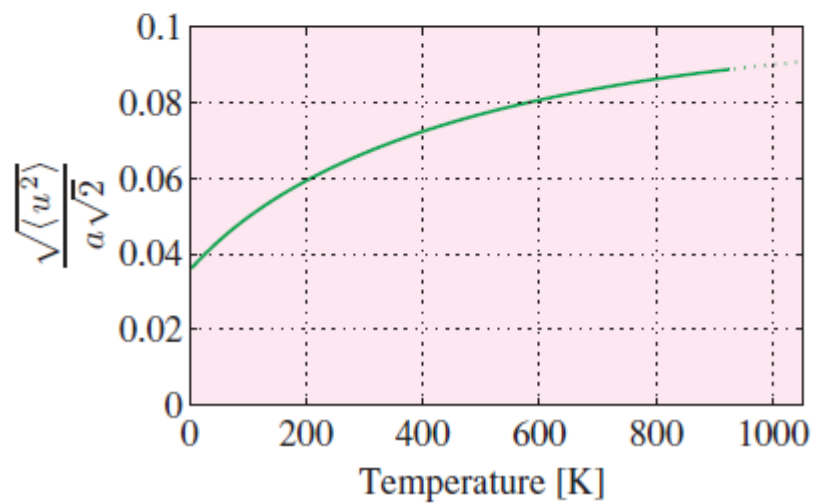
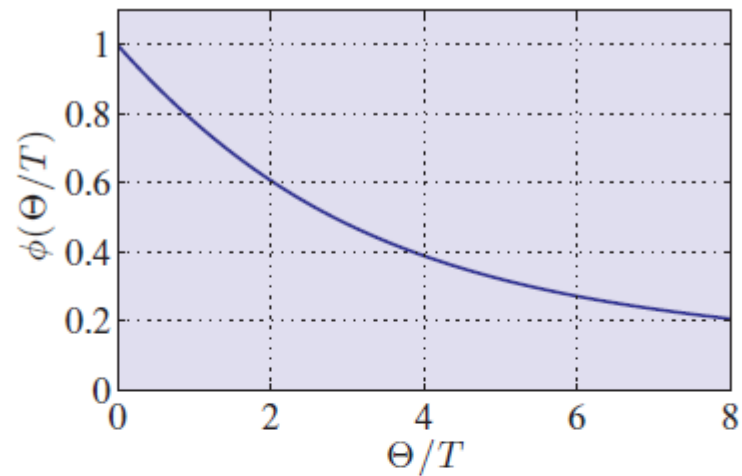
SUBSTANCE	C_{11}	C_{12}	C_{44}
Li (78 K)	0.148	0.125	0.108
Na	0.070	0.061	0.045
Cu	1.68	1.21	0.75
Ag	1.24	0.93	0.46
Au	1.86	1.57	0.42
Al	1.07	0.61	0.28
Pb	0.46	0.39	0.144
Ge	1.29	0.48	0.67
Si	1.66	0.64	0.80
V	2.29	1.19	0.43
Ta	2.67	1.61	0.82
Nb	2.47	1.35	0.287
Fe	2.34	1.36	1.18
Ni	2.45	1.40	1.25
LiCl	0.494	0.228	0.246
NaCl	0.487	0.124	0.126
KF	0.656	0.146	0.125
RbCl	0.361	0.062	0.047

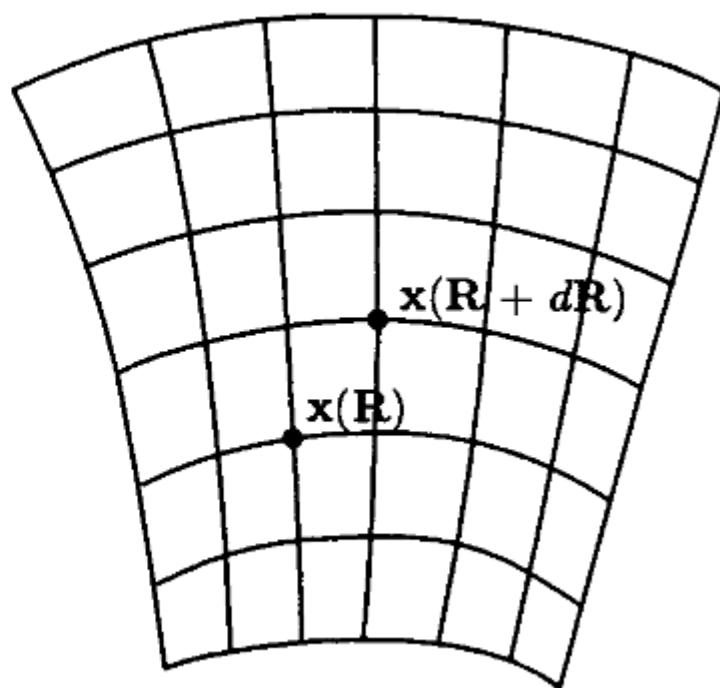
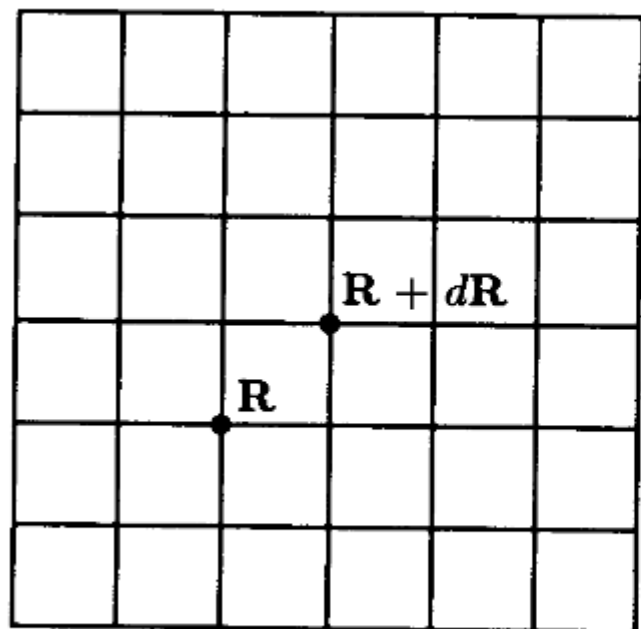
^a Elastic constants in 10^{12} dynes-cm⁻² at 300 K.

Material	Shear modulus	Bulk modulus
Tungsten carbide	2.2×10^{12}	3.2×10^{12}
Steel	0.83×10^{12}	1.5×10^{12}
Gold	0.28×10^{12}	1.7×10^{12}
Pyrex	0.25×10^{12}	0.4×10^{12}
Nylon	0.12×10^{12}	0.59×10^{12}
Rubber	$\sim 10^7$	0.03×10^{12}
Jello	$\sim 10^4$	0.02×10^{12}
Polystyrene foam	1.3×10^8	2×10^8
Shaving foam	$\sim 10^3$	$\sim 10^6$
Ice	0.025×10^{12}	0.073×10^{12}
Water	0	0.02×10^{12}
Air	0	10^6 (1 atm)

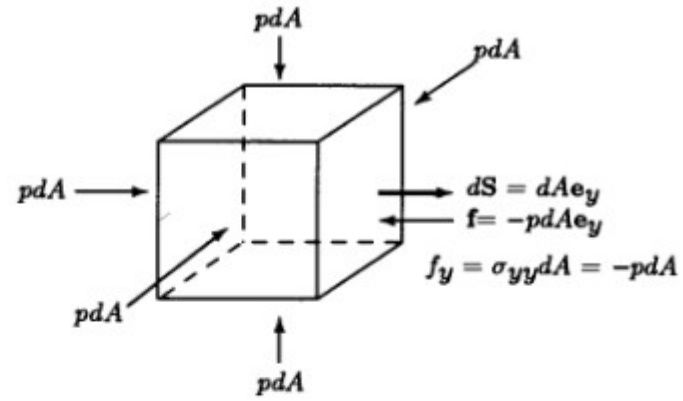


	A	Θ (K)	$B_{4.2}$	B_{77}	B_{293}
			(Å ²)		
Diamond	12	2230	0.11	0.11	0.12
Al	27	428	0.25	0.30	0.72
Si	28.1	645	0.17	0.18	0.33
Cu	63.5	343	0.13	0.17	0.47
Ge	72.6	374	0.11	0.13	0.35
Mo	96	450	0.06	0.08	0.18

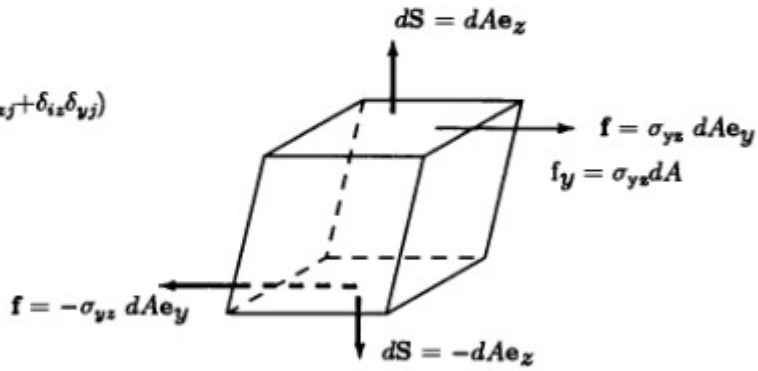




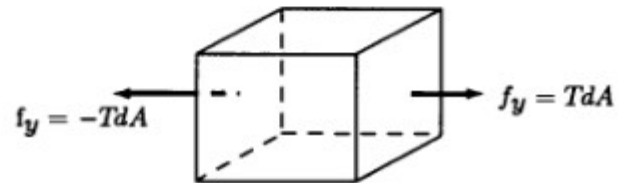
- (a) Pressure
 $\sigma_{ij} = -p\delta_{ij}$



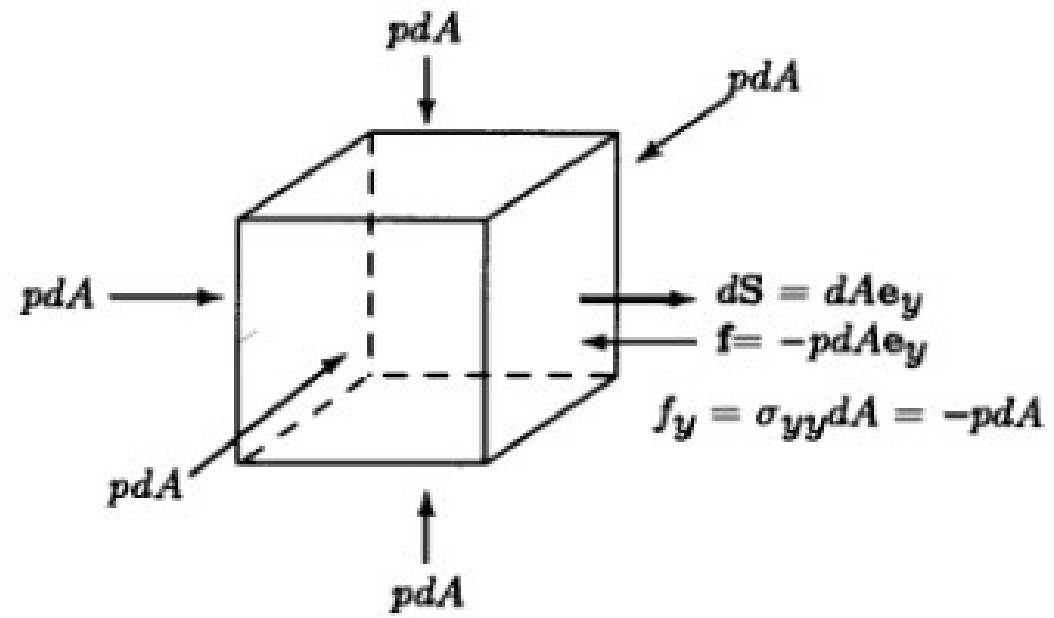
- (b) Shear
 $\sigma_{ij} = \sigma_0 (\delta_{iy}\delta_{xj} + \delta_{ix}\delta_{yj})$



- (c) Tension
 $\sigma_{ij} = T\delta_{iy}\delta_{jy}$

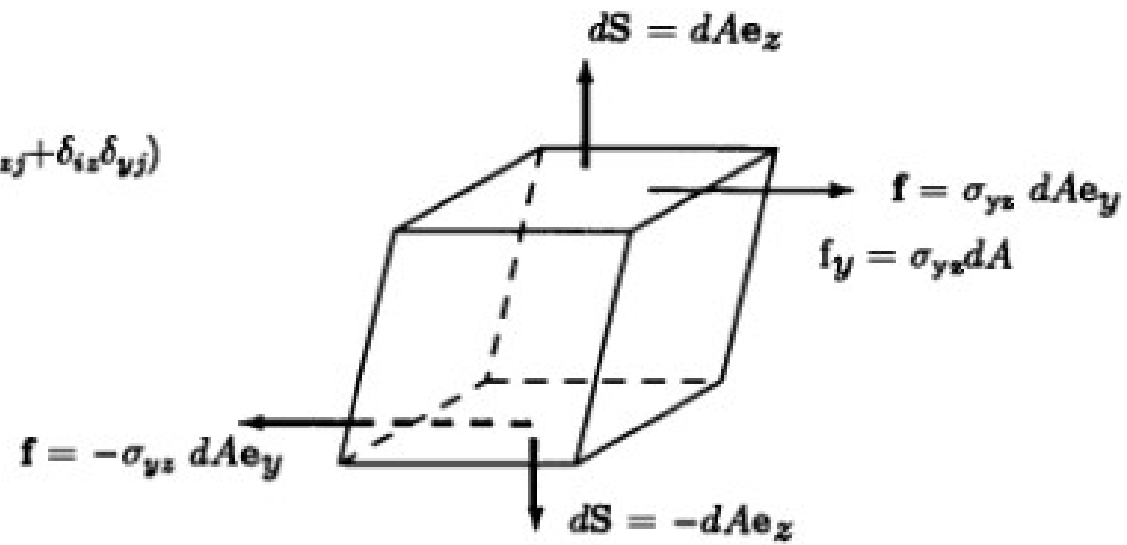


(a) Pressure
 $\sigma_{ij} = -p\delta_{ij}$



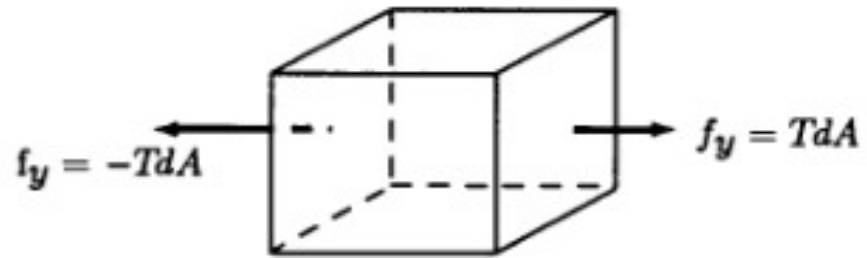
(b) Shear

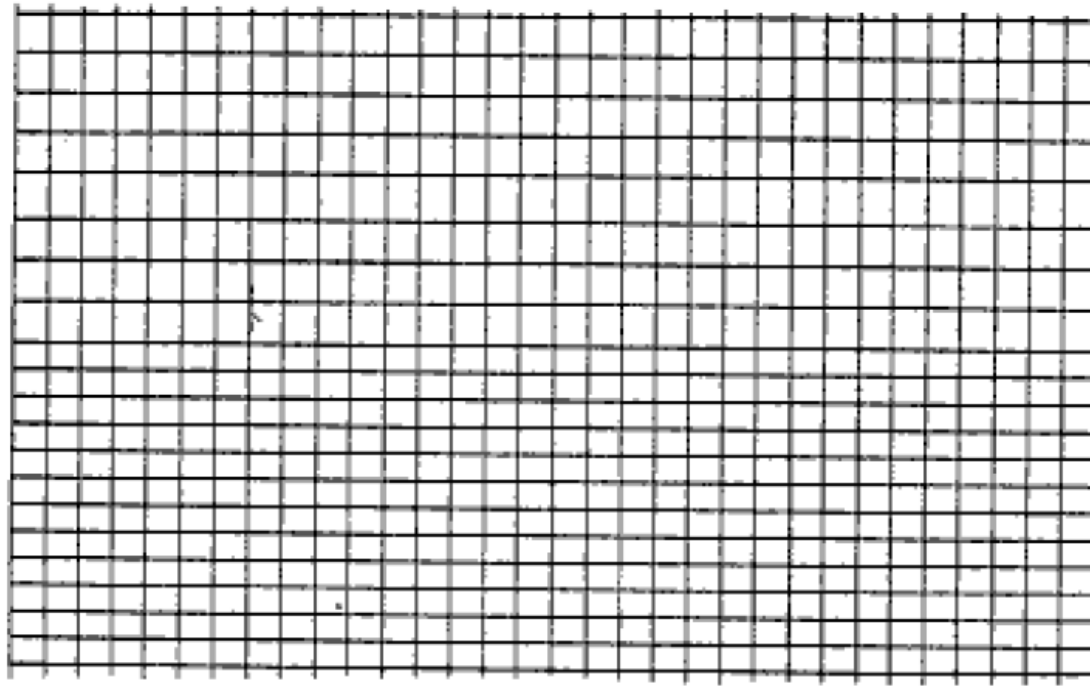
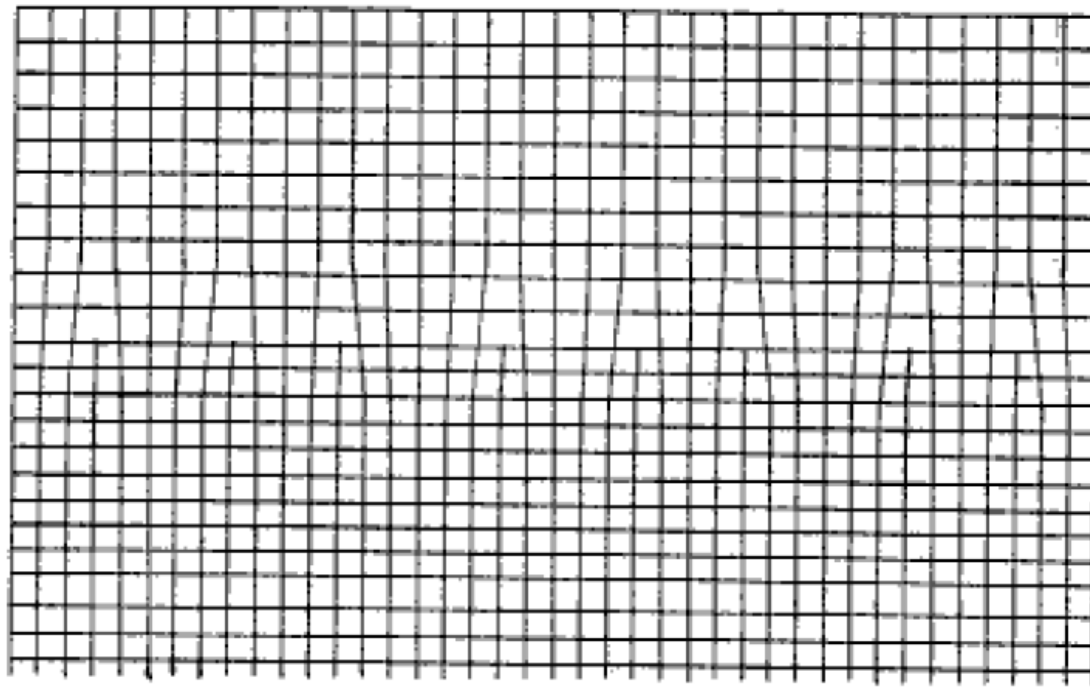
$$\sigma_{ij} = \sigma_0 (\delta_{iy}\delta_{xj} + \delta_{ix}\delta_{yj})$$

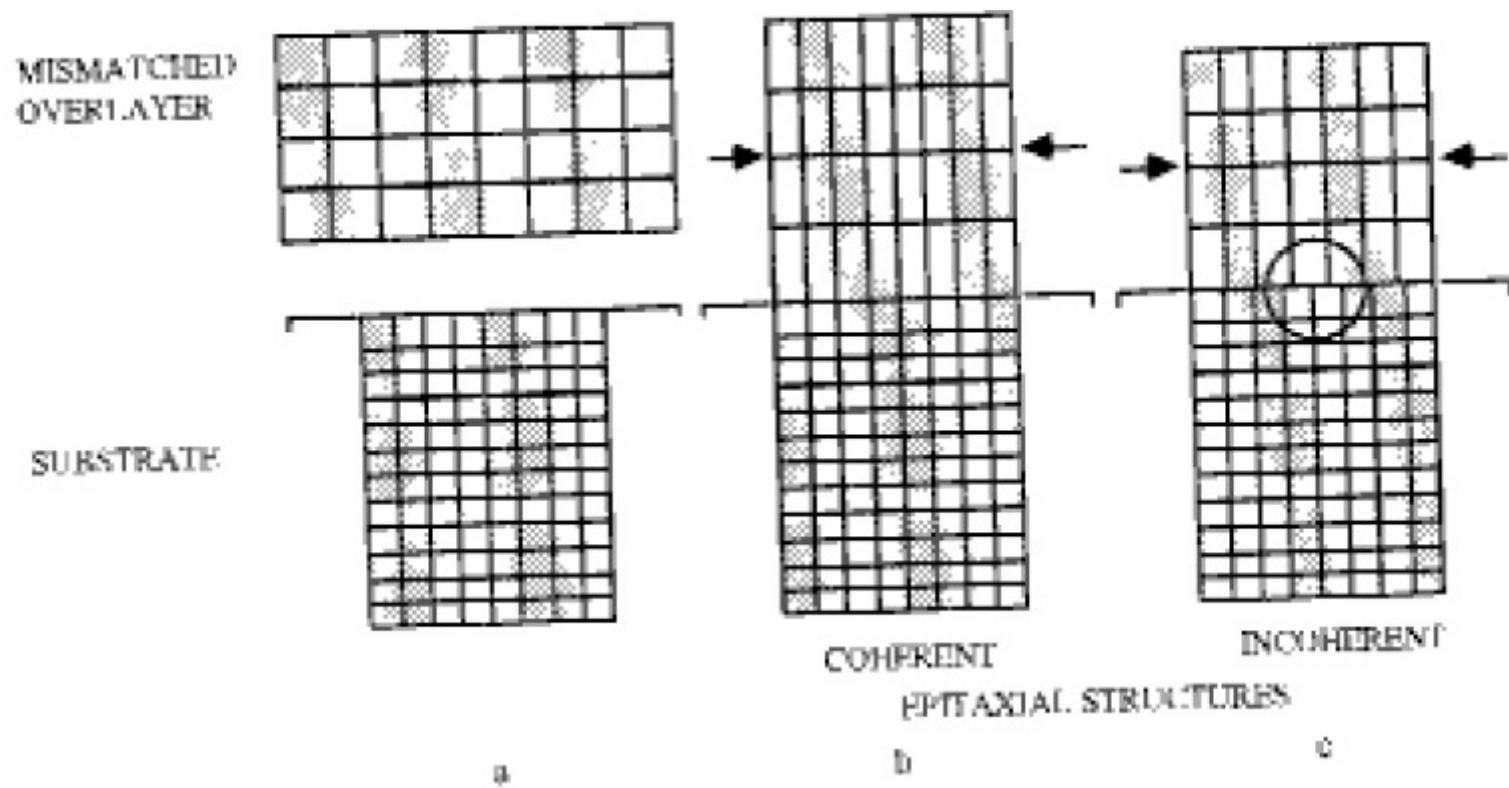


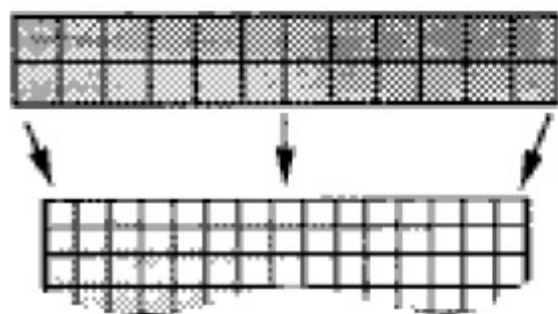
(c) Tension

$$\sigma_{ij} = T\delta_{iy}\delta_{jy}$$

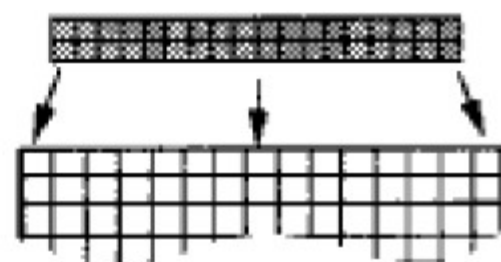




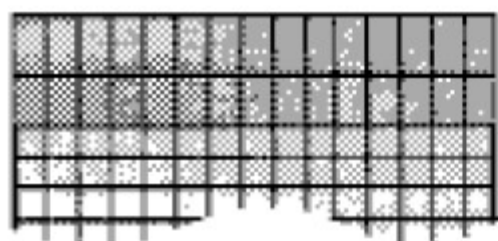


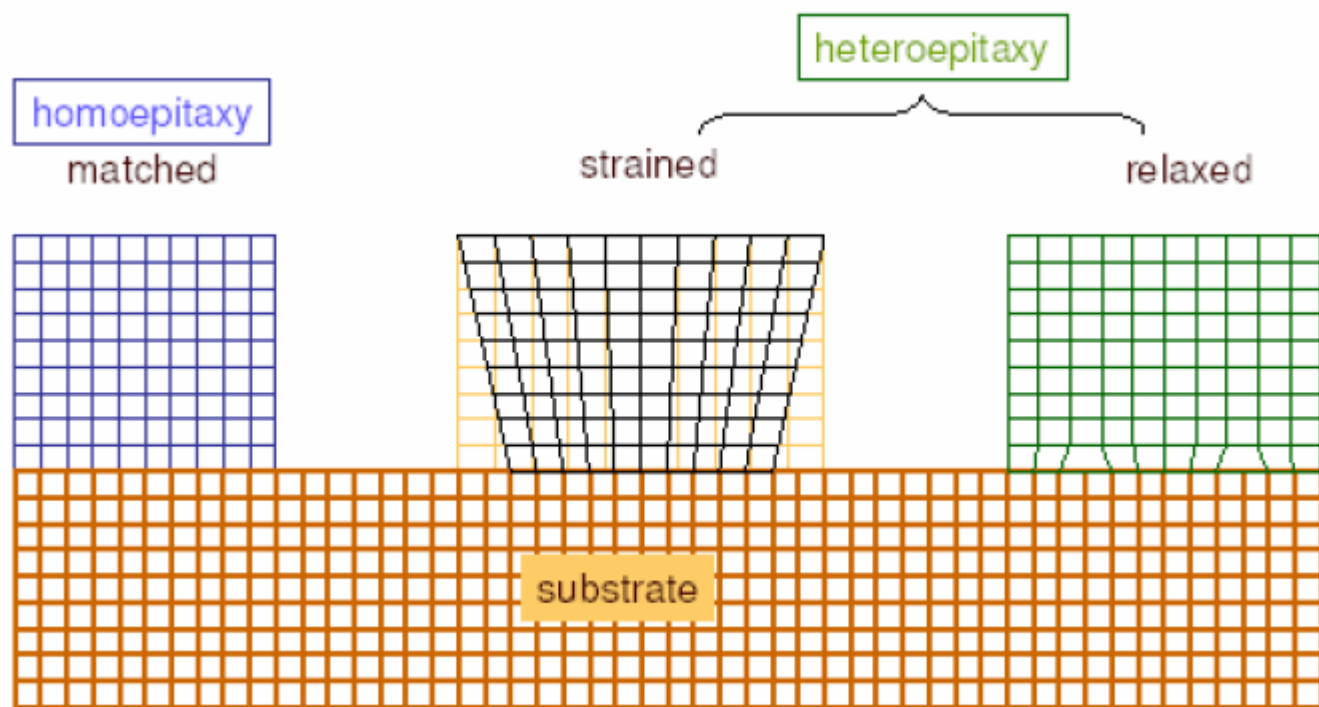


(a)

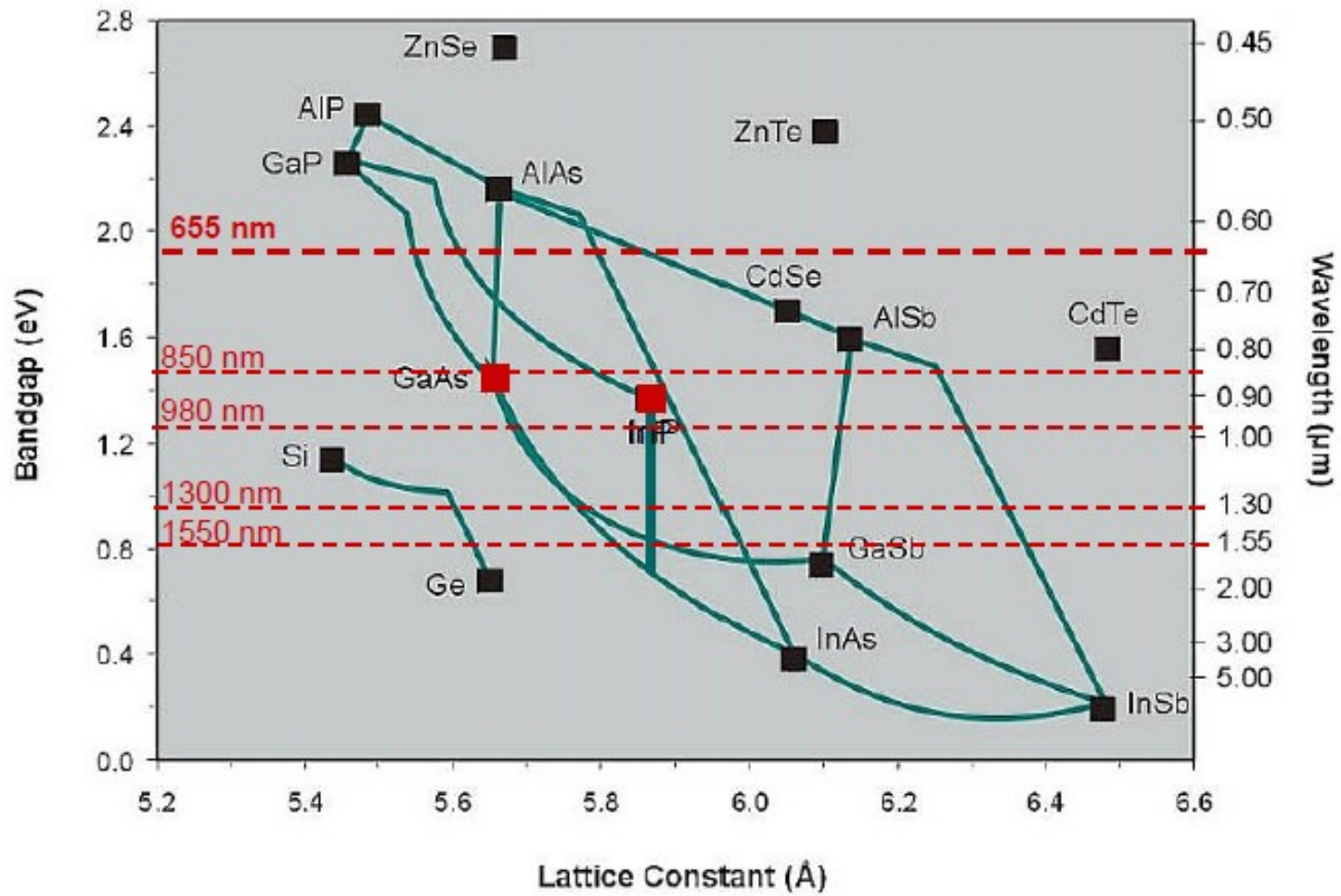


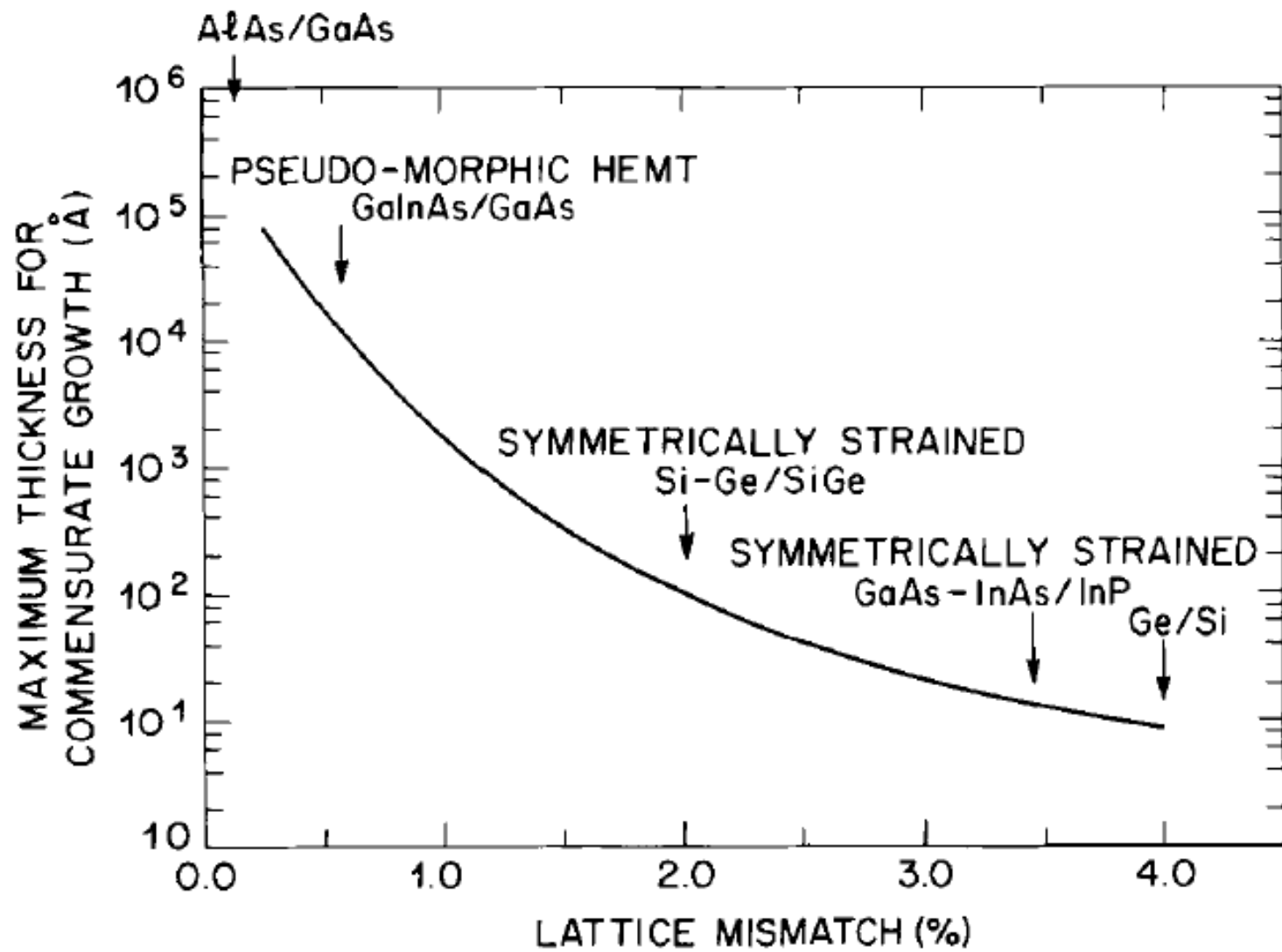
(b)

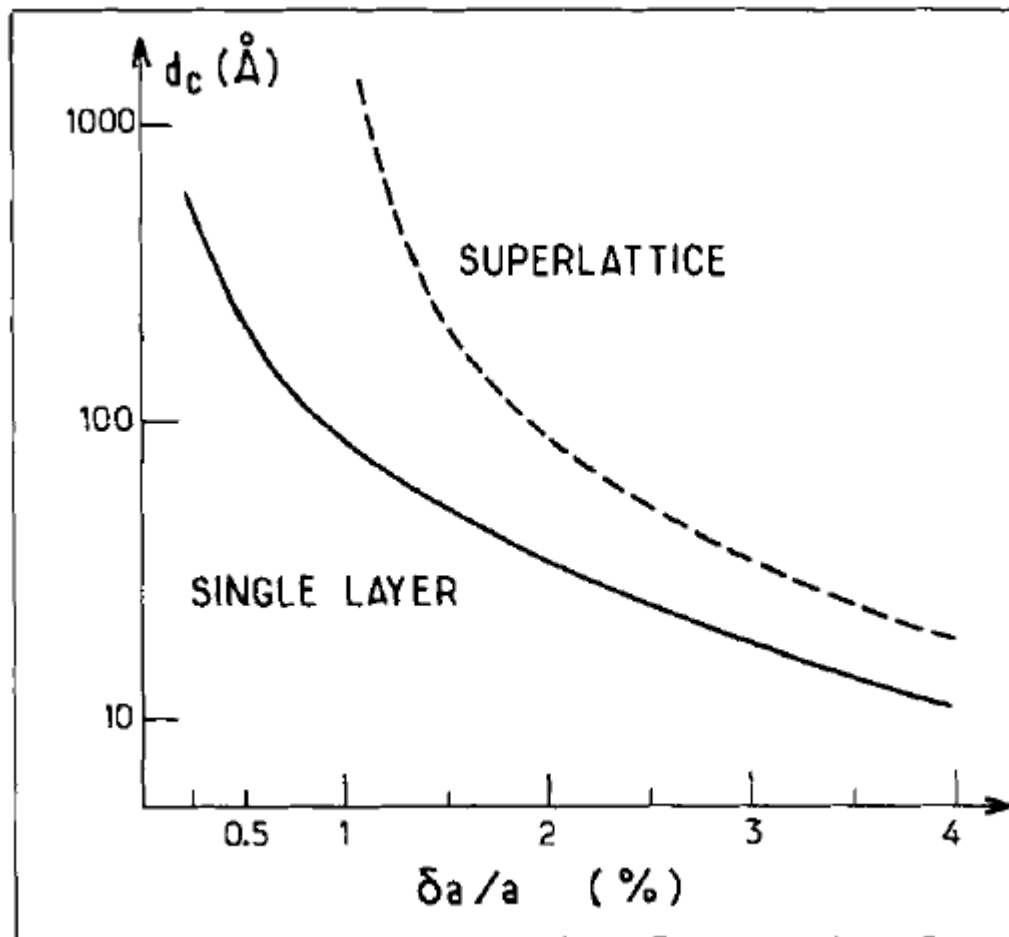




Materials Selection





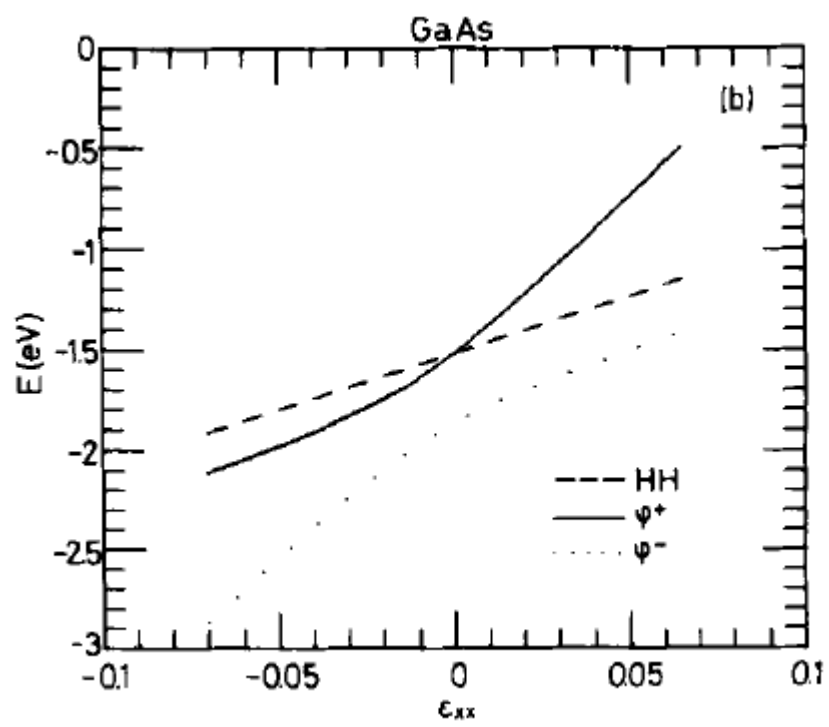
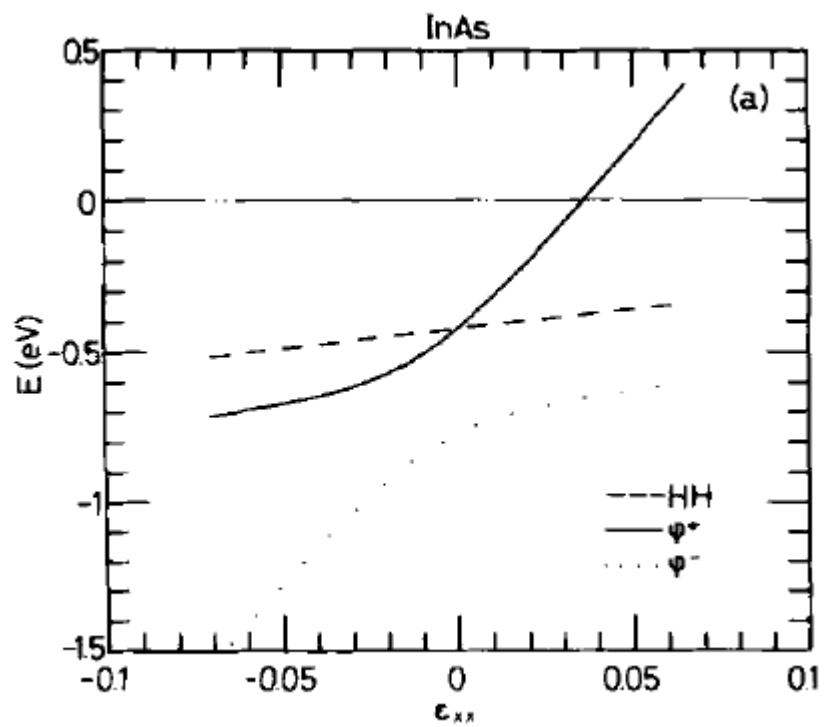


$$\begin{bmatrix} \sigma_{xx} \\ \sigma_{yy} \\ \sigma_{zz} \\ \sigma_{xy} \\ \sigma_{yz} \\ \sigma_{zx} \end{bmatrix} = \begin{bmatrix} C_{11} & C_{11} & C_{12} & 0 & 0 & 0 \\ C_{12} & C_{11} & C_{12} & 0 & 0 & 0 \\ C_{12} & C_{12} & C_{11} & 0 & 0 & 0 \\ 0 & 0 & 0 & C_{44} & 0 & 0 \\ 0 & 0 & 0 & 0 & C_{44} & 0 \\ 0 & 0 & 0 & 0 & 0 & C_{44} \end{bmatrix} \begin{bmatrix} e_{xx} \\ e_{yy} \\ e_{zz} \\ 2e_{xy} \\ 2e_{yz} \\ 2e_{zx} \end{bmatrix}$$

$$e_{zz}^{A[B]} = -\frac{2C_{12}^{A[B]}}{C_{11}^{A[B]}} e_{xx}^{A[B]} \approx -e_{xx}^{A[B]}. \quad e_{xx}^A - e_{yy}^B = \delta a_0 / a_0$$

$$E_{el} = \frac{1}{2}(d^A e_{ij}^A \sigma_{ij}^A + d^B e_{ij}^B \sigma_{ij}^B)$$

$$a_{x,y} = \frac{a^A d^A \xi^A + a^B d^B \xi^B}{d^A \xi^A + d^B \xi^B}, \quad \xi^{A[B]} = (C_{11} + C_{12} - 2C_{12}^2/C_{11})^{A[B]}$$



DIRECT
($\mathbf{k} = 0$)

INDIRECT
($\mathbf{k} = \text{X-point}$)

Conduction
Band States



s-type states



s + p mixture (longitudinal)
p (transverse)

Valence
Band States



Heavy Hole - $|3/2 \pm 3/2 \rangle$

Light Hole - $|3/2 \pm 1/2 \rangle$



Split Off Hole - $|1/2 \pm 1/2 \rangle$

$|3/2, 3/2\rangle_z$ $|3/2, 1/2\rangle_z$ $|3/2, -3/2\rangle_z$ $|3/2, -1/2\rangle_z$

$$-(\hbar^2/2m_0)[(\gamma_1 + \gamma_2) k_1^2 + (\gamma_1 - 2\gamma_2) k_2^2]$$

B

0

C

$$B^* \quad -(\hbar^2/2m_0)[(\gamma_1 - \gamma_2) k_1^2 + (\gamma_1 + 2\gamma_2) k_2^2]$$

C

0

0

C*

$$-(\hbar^2/2m_0)[(\gamma_1 + \gamma_2) k_1^2 + (\gamma_1 - 2\gamma_2) k_2^2]$$

-B*

C*

0

-B

$$-(\hbar^2/2m_0)[(\gamma_1 - \gamma_2) k_1^2 + (\gamma_1 + 2\gamma_2) k_2^2]$$

avec

$$B = \sqrt{3} (\hbar^2/2m_0) \gamma_3 k_z (k_x - ik_y)$$

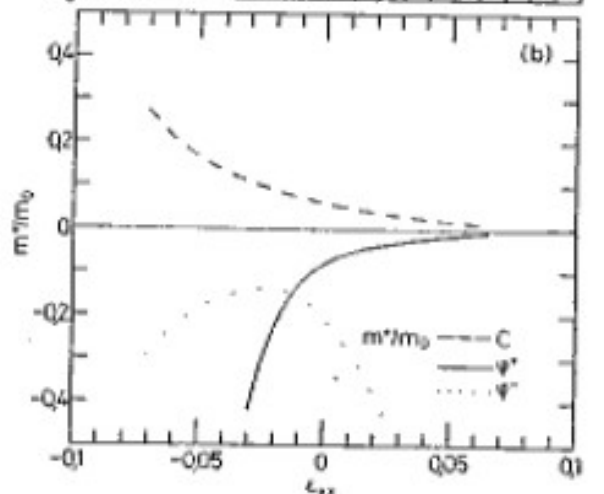
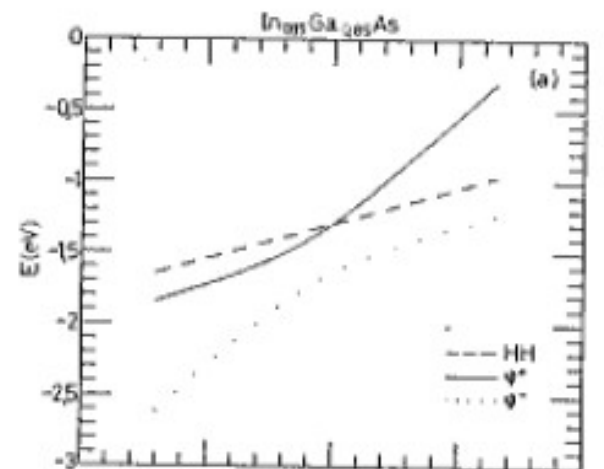
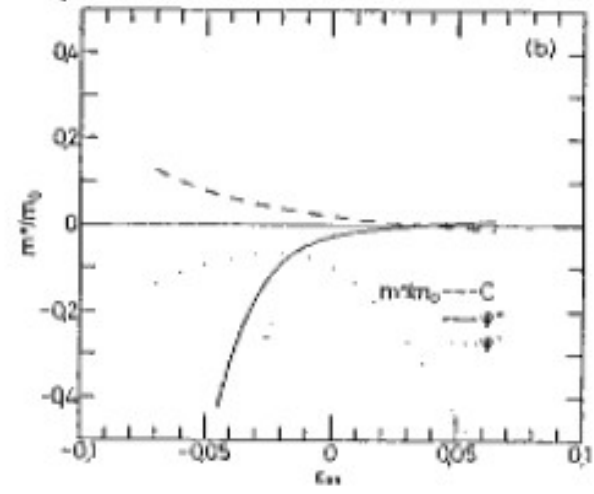
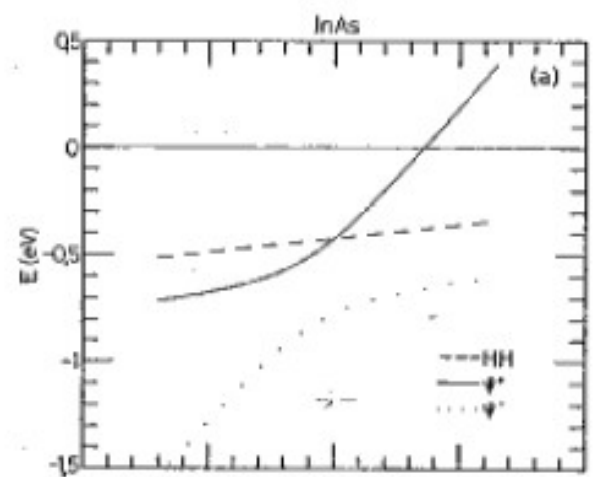
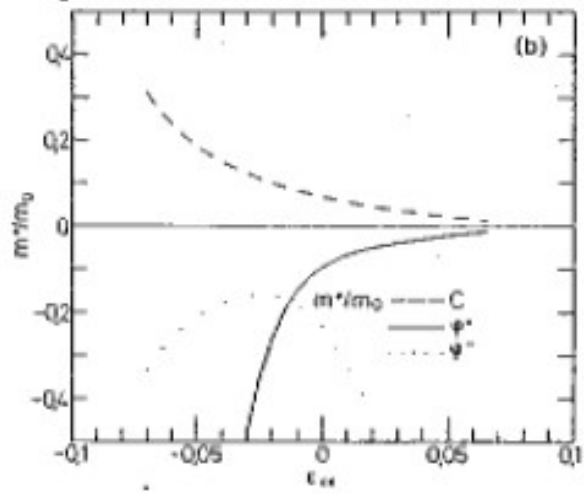
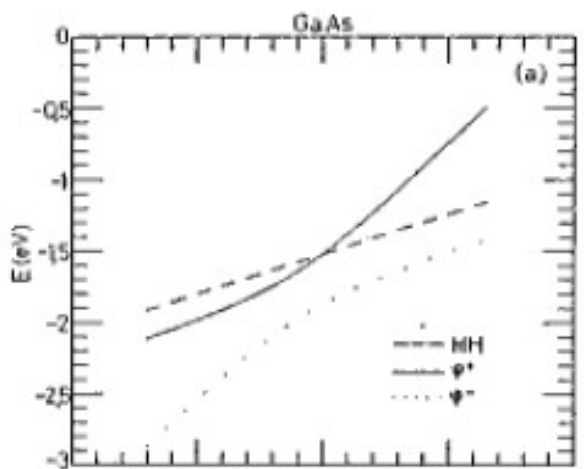
$$C = \sqrt{3} (\hbar^2/2m_0) [\gamma_2 (k_x^2 - k_y^2) - 2i \gamma_3 k_x k_y]$$

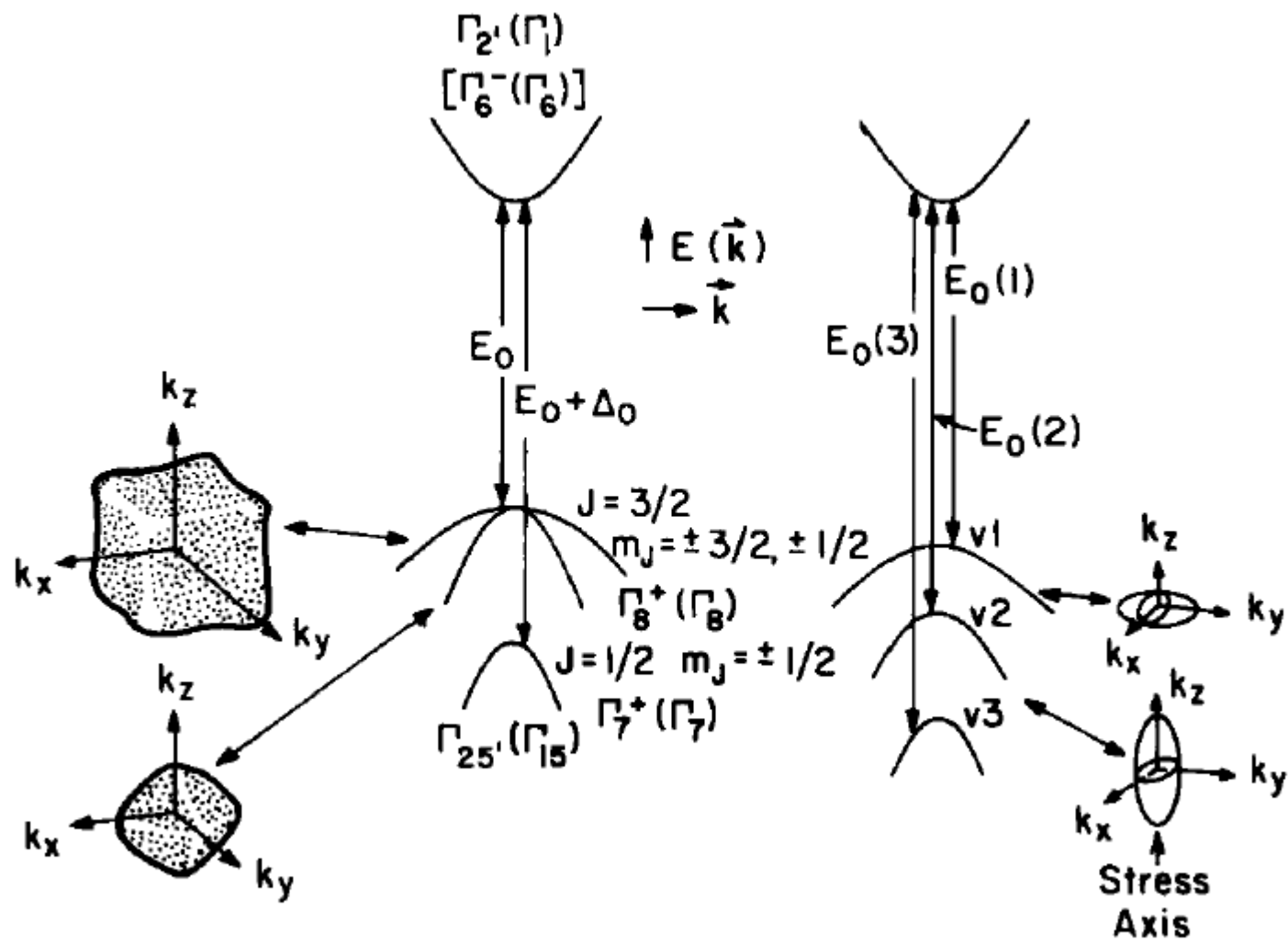
$$\text{et } k_1^2 = k_x^2 + k_y^2$$

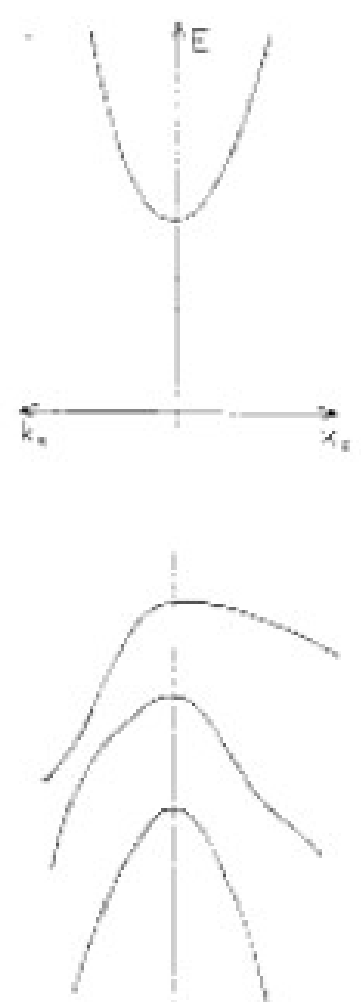
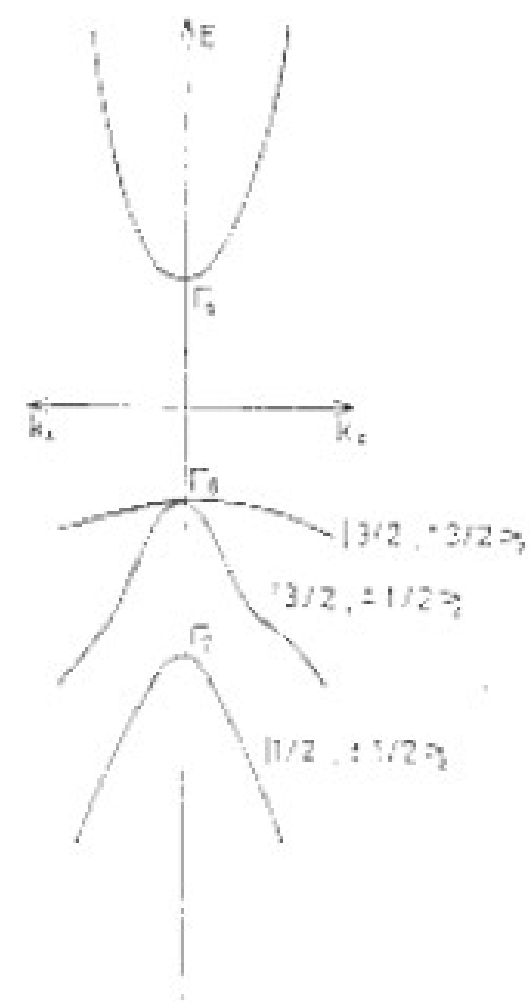
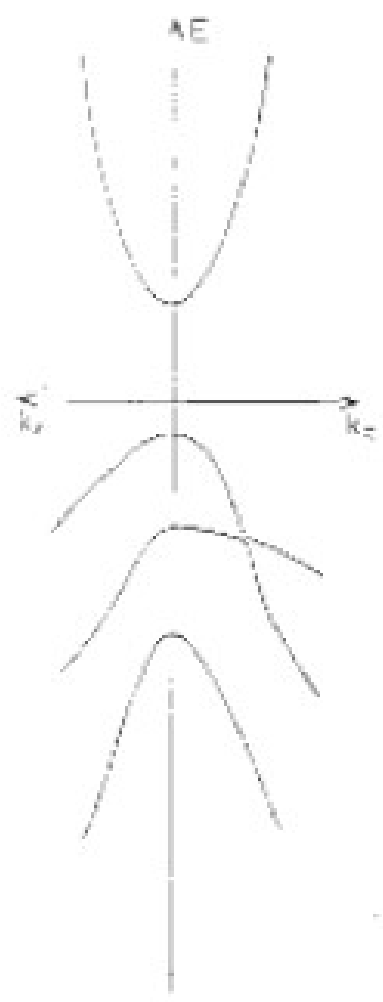
dans GaAs, $\gamma_1 = 6.85$, $\gamma_2 = 2.10$, et $\gamma_3 = 2.90$

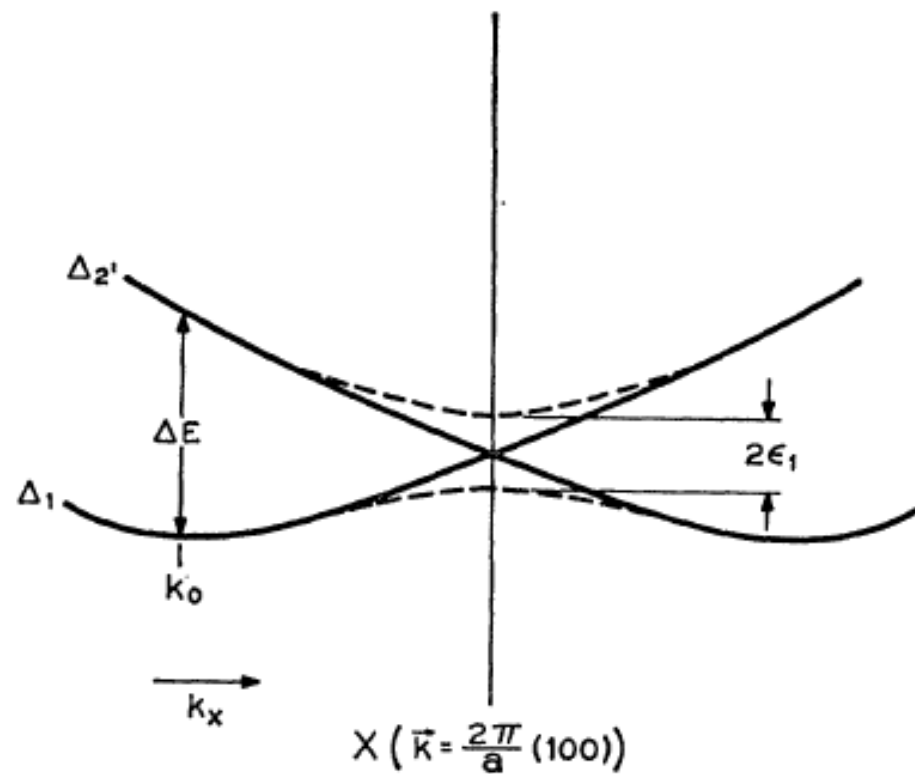
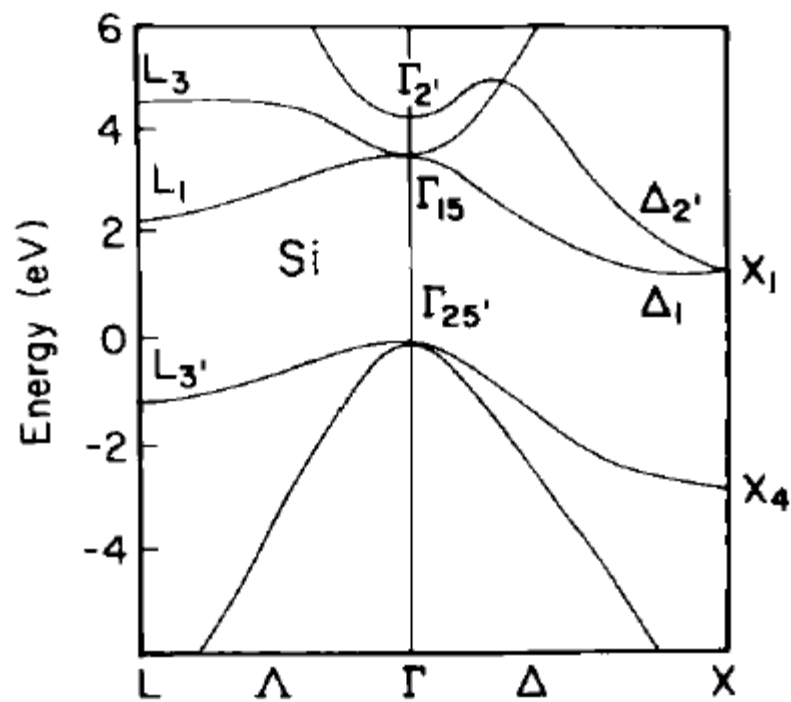
$S\uparrow$	$ 3/2, 3/2\rangle_z$	$ 3/2, 1/2\rangle_z$	$ 1/2, 1/2\rangle_z$
E_g	0	0	0
$+ C(\epsilon_{xx} + \epsilon_{yy} + \epsilon_{zz})$			
0	$-a(\epsilon_{xx} + \epsilon_{yy} + \epsilon_{zz})$ $-b(\epsilon_{zz} - \epsilon_{xx})$	0	0
0	0	$-a(\epsilon_{xx} + \epsilon_{yy} + \epsilon_{zz})$ $+b(\epsilon_{zz} - \epsilon_{xx})$	$-\sqrt{2}b'(\epsilon_{zz} - \epsilon_{xx})$
0	0	$-\sqrt{2}b'(\epsilon_{zz} - \epsilon_{xx})$	$-\Delta$ $-a'(\epsilon_{xx} + \epsilon_{yy} + \epsilon_{zz})$

En général, on fait l'approximation $a = a'$, $b = b'$
dans les III-V, $C + a$ est de l'ordre de -8 eV, et b de -2 eV.









$$E_e(\mathbf{k}) = \delta_e + \frac{[k_x - k_0(e)]^2}{2m_{11}(e)} + \frac{k_y^2 + k_z^2}{2m_{\perp}(e)} + \alpha e_{yz} k_y k_z$$

J.C. Hensen et al., Phys. Rev. 138, A225 (1965)

$$\begin{pmatrix} v_1 k_x & \epsilon_1 + \frac{1}{m'} k_y k_z \\ \epsilon_1 + \frac{1}{m'} k_y k_z & -v_1 k_x \end{pmatrix} \begin{pmatrix} \xi \\ \xi \\ \xi \end{pmatrix} = \epsilon(\mathbf{k}) \begin{pmatrix} \xi \\ \xi \\ \xi \end{pmatrix}$$

$$\alpha = \frac{4\bar{E}_{u'}(k_0)}{-\Delta E} \frac{1}{m^2} \sum_l \frac{1}{E_{0l}} \langle \Delta_1 | p_y | \Delta_5^{y(l)} \rangle$$

$$\times \langle \Delta_5^{y(l)} | p_z | \Delta_{2'} \rangle - \frac{1}{m} \left(\left(\frac{m}{m_1} \right)_{\Delta_1 k_0} - 1 \right)$$

$$\bar{E}_{u'}(k_0) = \langle \Delta_1 | D_{yz} | \Delta_{2'} \rangle_{k_0}$$

$$v_1 = (1/m) \langle X_1 | p_x | X_1 \rangle = - (1/m) \langle \bar{X}_1 | p_x | \bar{X}_1 \rangle$$

$$m_{11}/m = 0.9163 \pm 0.0004,$$

$$m_{\perp}/m = 0.1905 \pm 0.0001.$$

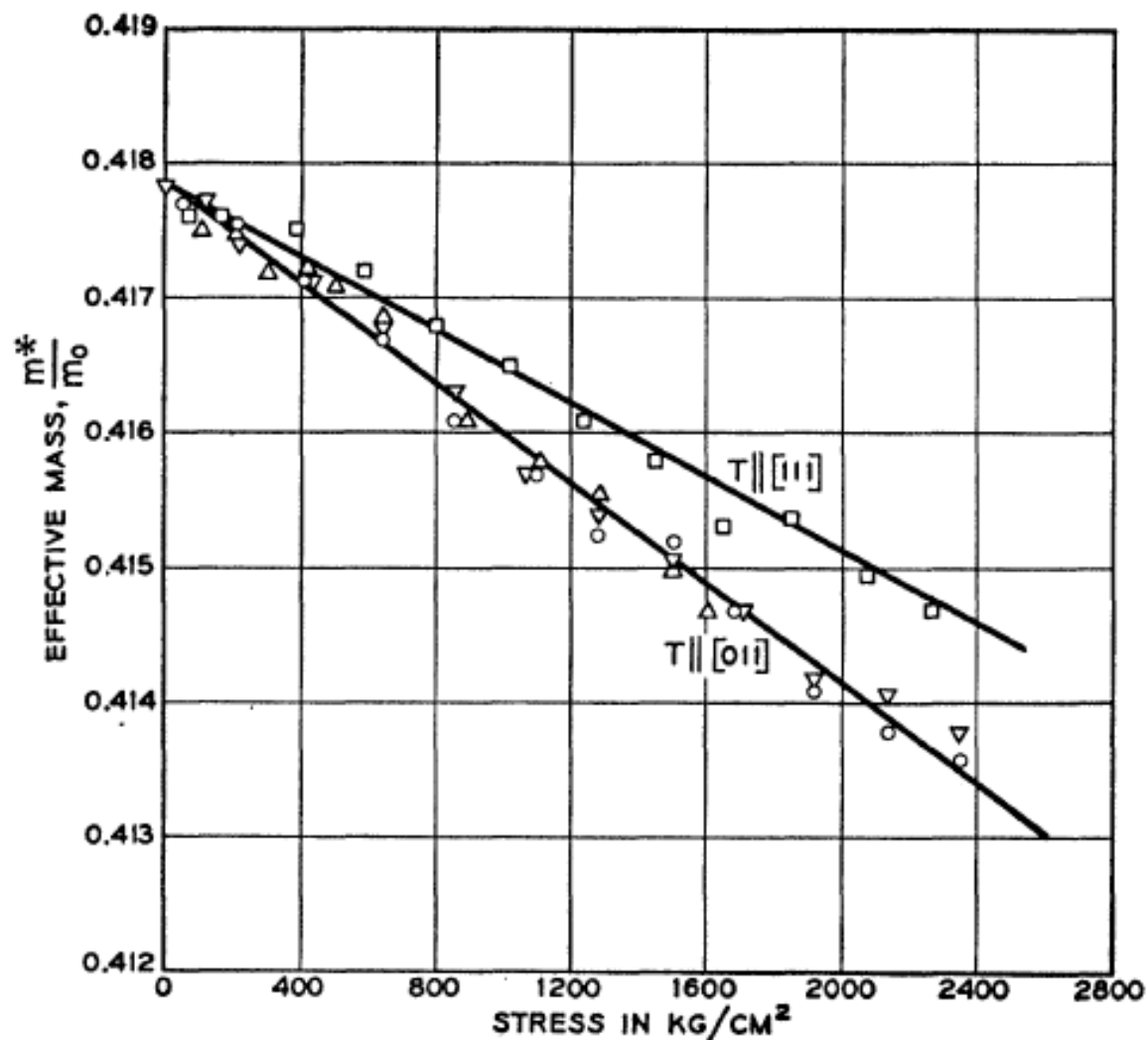


FIG. 4. Dependence of the electron effective mass ($H_0 \parallel [011]$) for the (001) ellipsoid on a uniaxial stress applied in turn to the [001] and [111] axes. In reference to Fig. 2 these measurements correspond, respectively, to case (b) with $\varphi = 0^\circ$ and case (c) with $\theta = 90^\circ$. The zero-stress effective mass is $(m_{\perp}m_{11})^{1/2} = (0.4178 \pm 0.0002)m$.

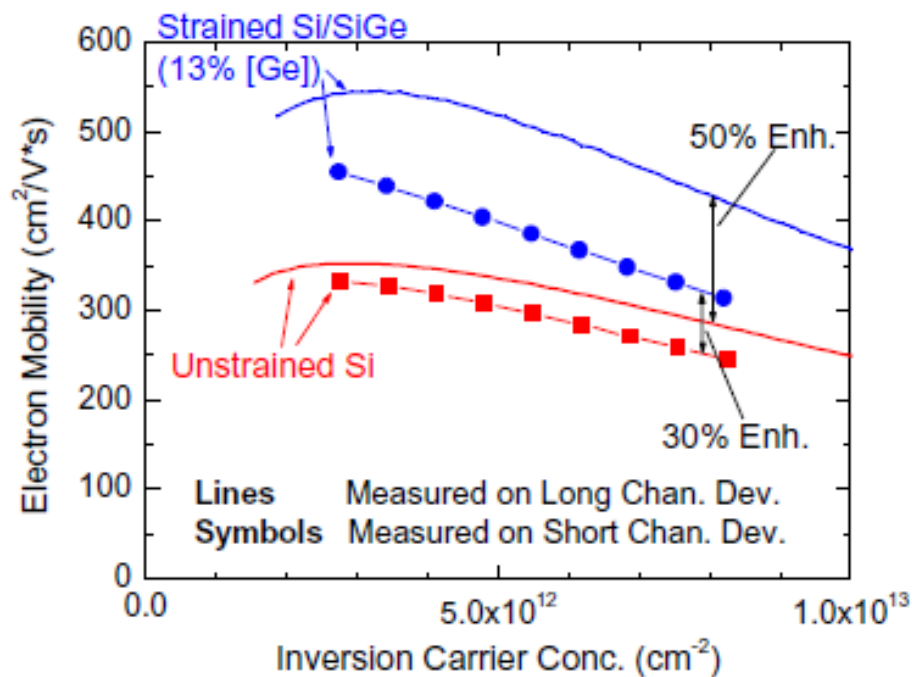


Fig. 1 Comparison of mobility in strained and unstrained Si devices. Mobility is extracted by the dR/dL method in short channel devices [2].

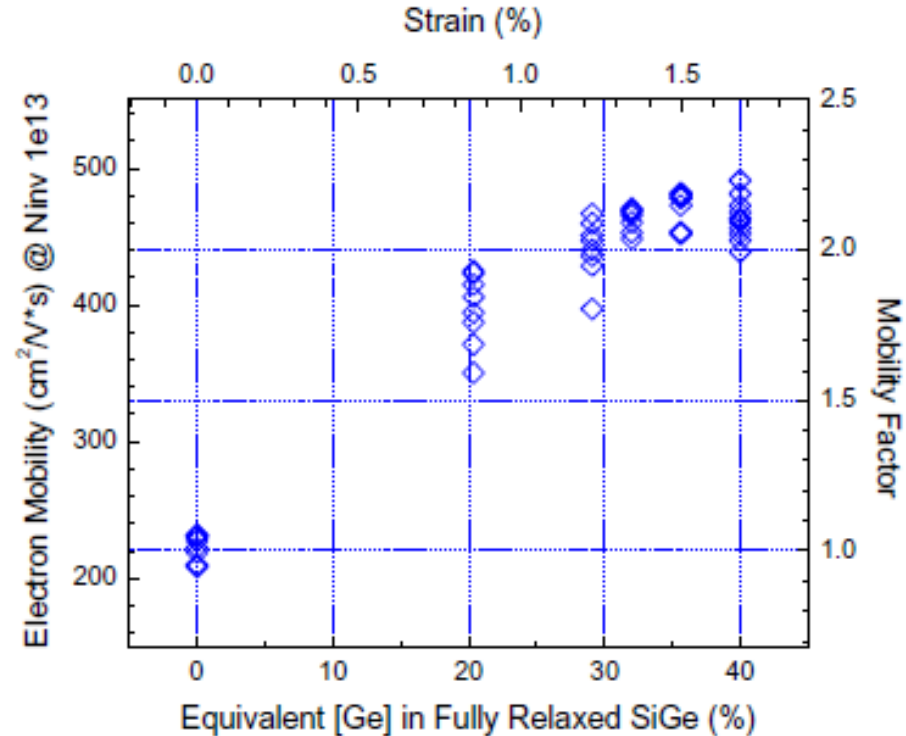


Fig. 2 NFET mobility at $N_{inv} = 1e13 \text{ cm}^{-2}$ as a function of strain. Electron mobility enhancement saturates at higher strain ($\epsilon > 1.3\%$).

Strained Si for Sub-100 nm MOSFETs

K. Rim, L. Shi, K. Chan, J. Ott, J. Chu, D. Boyd, K. Jenkins, D. Lacey, P.M. Mooney, M. Cobb, N. Klymko, F. Jamin, S. Koester, B.H. Lee, M. Gribelyuk, and T. Kanarsky
 IBM SRDC, Research Division and Microelectronics Division

T. J. Watson Research Center, 1101 Kitchawan Road, Yorktown Heights, NY 10598, USA
 Phone: +1-914-945-2946; Fax: +1-914-945-2141; e-mail: rim@us.ibm.com

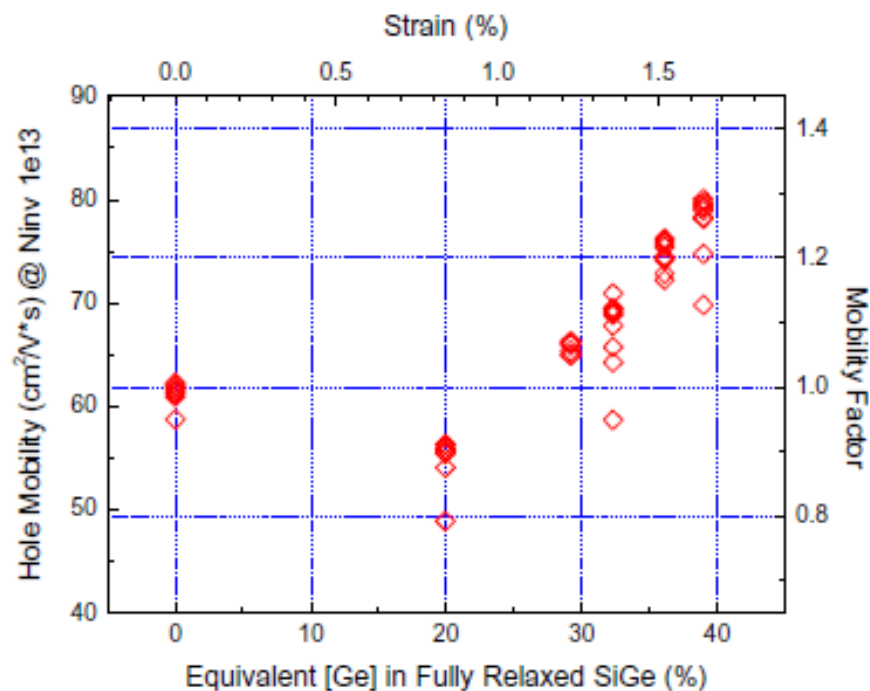


Fig. 3 PFET mobility at $N_{inv} = 1e13 \text{ cm}^{-2}$ as a function of strain. Sizable hole mobility enhancement requires high strain ($\epsilon > 1.3\%$).

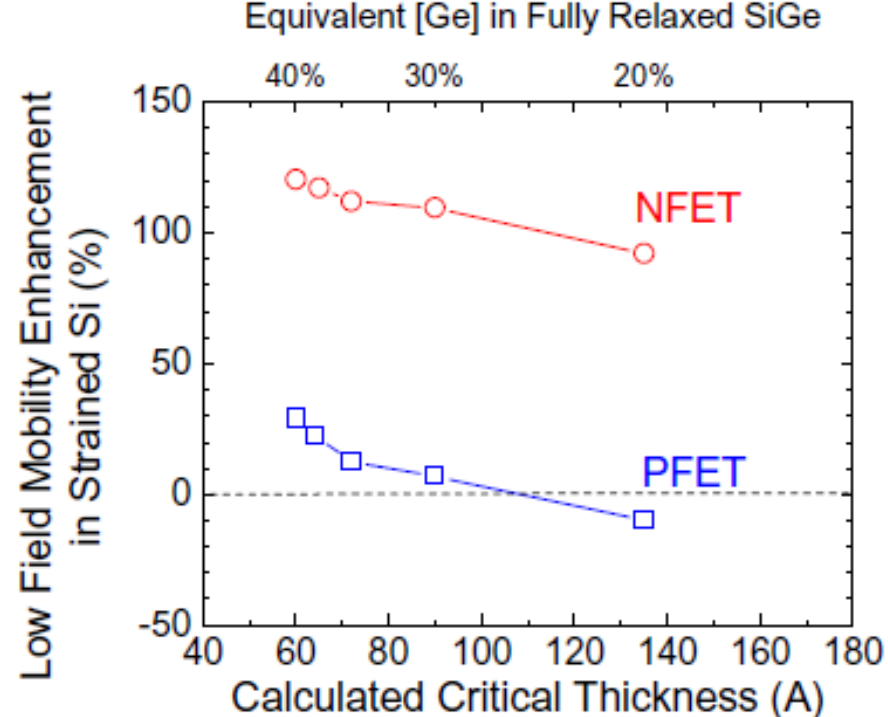


Fig. 4 Trade-off relationship between inversion mobility enhancement and theoretically calculated critical thickness from Matthews & Blakeslee (J. Cryst. Growth, vol 27, p. 118, 1974.)

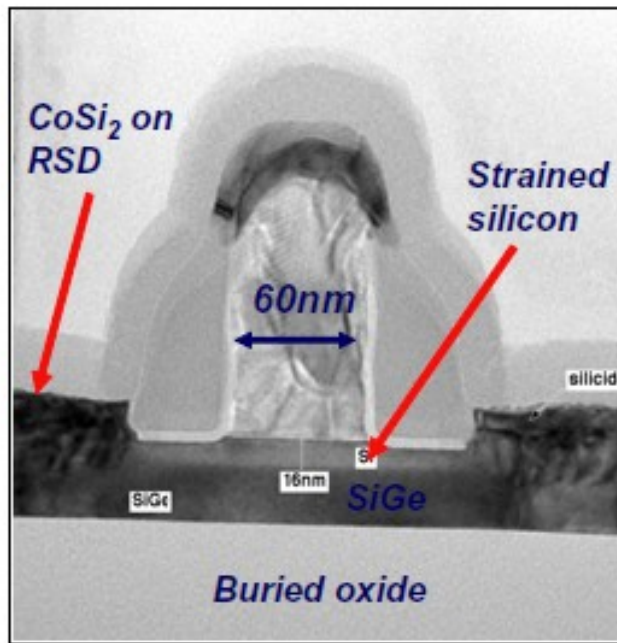


Fig. 5 TEM micrograph of a strained Si MOSFET fabricated on ultra-thin thermally mixed SGOI (TM-SGOI) [5].

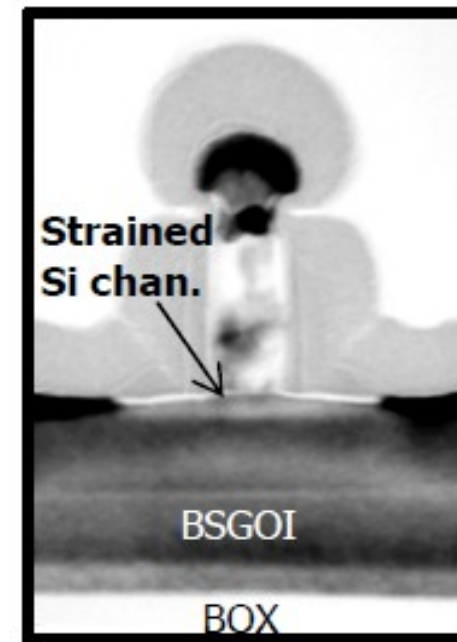


Fig. 6 TEM micrograph of a strained Si MOSFET fabricated on bonded SGOI (BSGOI).