

LISTA 03 - RESOLUÇÃO

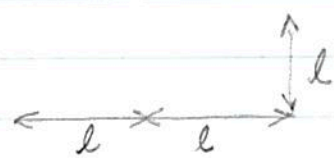
1) a)  $S = S_0 + v_0 t + \frac{1}{2} a t^2$       $v_0 = 0$   
 $\Delta S = S - S_0 = 2,5 \text{ cm} = 0,025 \text{ m}$   
 $\Delta S = \frac{1}{2} a \Delta t^2$       $\Delta t = t = 25 \text{ ms} = 0,025 \text{ s}$

$$a = \frac{2 \Delta S}{\Delta t^2} = \frac{2(0,025 \text{ m})}{(0,025 \text{ s})^2} \Rightarrow a = 80 \text{ m/s}^2$$

b)  $v = v_0 + at \Rightarrow v = (80 \text{ m/s}^2)(0,025 \text{ s})$   
 $v = 2 \text{ m/s}$

c)  $v^2 = v_0^2 + 2a \Delta S \Rightarrow 0 = (2 \text{ m/s})^2 - 2(9,8 \text{ m/s}^2) H_{\text{max}}$   
 $\Delta S = H_{\text{max}}$       $H_{\text{max}} = \frac{(2 \text{ m/s})^2}{2(9,8 \text{ m/s}^2)}$   
 $H_{\text{max}} \approx 0,2 \text{ m}$

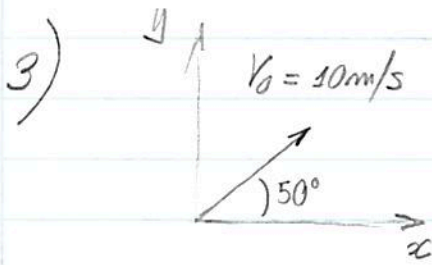
2) PERNA  $\rightarrow$  COMPRIMENTO  $l$       $\therefore l \rightarrow \frac{T}{2}$   
 $T' \rightarrow$  TEMPO PARA 2 PASSOS  
 $N: \text{PASSOS} / \text{TEMPO} = l / (T/2) \propto l / T' \quad v_c = Nl \propto \frac{l}{T'} \propto \sqrt{l'}$



$T' \propto \sqrt{l'} \quad v_c \propto \sqrt{l'}$

SE COMPARARMOS 2 PESSOAS  $l \Rightarrow L \quad L = \frac{1,8}{1,5}$

$$\frac{v_2}{v_1} = \frac{\sqrt{l_2'}}{\sqrt{l_1'}} \Rightarrow \frac{v_2}{v_1} \approx 1,095$$



ALCANCE:

$$g = 9,8 \text{ m/s}^2$$

$$R = 2 V_{0x} t_H$$

$$R = \frac{2 V_0 \cos 50^\circ V_0 \sin 50^\circ}{g}$$

x)  $V_{0x} = V_0 \cos 50^\circ$

$$x = V_{0x} t$$

$$R = \frac{V_0^2 \sin 100^\circ}{g}$$

y)  $V_{0y} = V_0 \sin 50^\circ$

$$y = y_0 + V_{0y} t - \frac{1}{2} g t^2$$

$$R \cong 10,05 \text{ m}$$

$$V_y = V_{0y} - g t$$

$$H = \frac{V_0^2 \sin^2 \theta}{2g} \cong 2,99 \text{ m}$$

$V_y = 0$   $t_H = \frac{V_0 \sin 50^\circ}{g}$

$$V_{0x} = 6,43 \text{ m/s}$$

CICLISTA  $\Rightarrow$  5 m/s

4)  $F = 600 \text{ N}$   $A_1 = 50 \text{ cm}^2 = 50 \times 10^{-4} \text{ m}^2$

$$A_2 = 0,5 \text{ cm}^2 = 0,5 \times 10^{-4} \text{ m}^2$$

$$T_1 = \frac{600 \text{ N}}{50 \times 10^{-4} \text{ m}^2} = 1,2 \times 10^5 \frac{\text{N}}{\text{m}^2}$$

$$T_2 = \frac{600 \text{ N}}{0,5 \times 10^{-4} \text{ m}^2} = 1,2 \times 10^7 \frac{\text{N}}{\text{m}^2}$$

5) MÓDULO DE YOUNG  $\Rightarrow Y = \frac{\text{TENSÃO}}{\text{DEFORMAÇÃO}} = \frac{F/A}{\Delta l/l}$

$$A = \pi (0,04)^2 \text{ m}^2$$

$$A \cong 0,005 \text{ m}^2$$

$$\left. \begin{array}{l} \Delta l = 0,05 \text{ m} \\ l = 0,2 \text{ m} \end{array} \right\} \frac{\Delta l}{l} = 0,25$$

$$F_1 = 25 \text{ N}$$

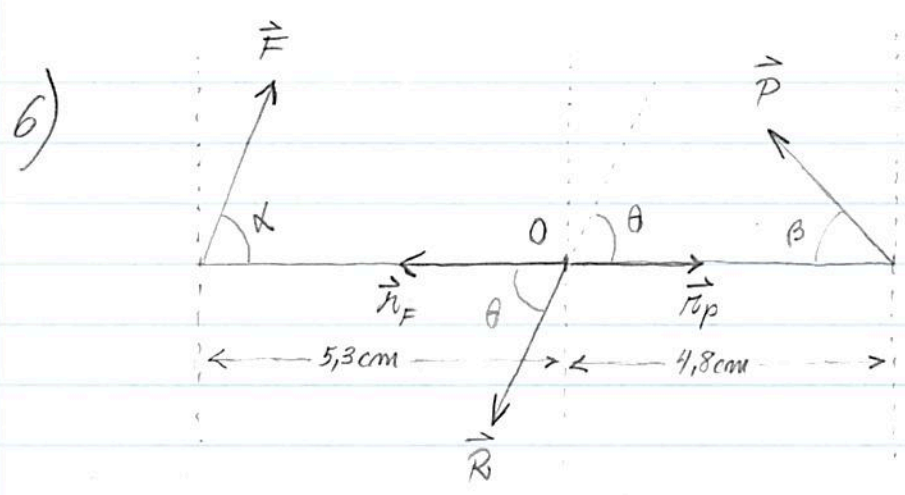
$$F_2 = 500 \text{ N}$$

①  $Y_1 = \frac{(25)/(0,005)}{0,25}$

②  $Y_2 = \frac{(500)/(0,005)}{0,25}$

$$Y_1 = 2 \times 10^4 \frac{\text{N}}{\text{m}^2}$$

$$Y_2 = 4 \times 10^5 \frac{\text{N}}{\text{m}^2}$$



$\alpha = 80^\circ$   
 $\beta = 45^\circ$   
 $|\vec{P}| = 446 \text{ N}$

EQUILÍBRIO TRANSLACIONAL:

EM Y  $F \text{ SEN } \alpha - R \text{ SEN } \theta + P \text{ SEN } \beta = 0$  (1)

EM X  $F \text{ COS } \alpha - R \text{ COS } \theta - P \text{ COS } \beta = 0$  (2)

EQUILÍBRIO ROTACIONAL:

$\vec{r}_F \times \vec{F} + \vec{r}_P \times \vec{P} = 0$  (EM RELAÇÃO A O)

$(4,8) P \text{ SEN } \beta - (5,3) F \text{ SEN } \alpha = 0$

$F = \frac{(4,8) P \text{ SEN } \beta}{(5,3) \text{ SEN } \alpha} = \frac{(4,8)(446) \text{ SEN } 45^\circ}{(5,3) \text{ SEN } 80^\circ}$

∴

$F \cong 290 \text{ N}$  (3)

DE (1) e (2) TEMOS:

$R \text{ SEN } \theta = F \text{ SEN } \alpha + P \text{ SEN } \beta$  (4)

$R \text{ COS } \theta = F \text{ COS } \alpha - P \text{ COS } \beta$  (5)

∴  $R \text{ SEN } \theta = (290) \text{ SEN } 80^\circ + (446) \text{ SEN } 45^\circ$

$R \text{ COS } \theta = (290) \text{ COS } 80^\circ - (446) \text{ COS } 45^\circ$

$R \text{ SEN } \theta \cong 601$

$R \text{ COS } \theta \cong -265$

QUADRANDO E SOMANDO:

$R^2 = 431426$

IGNORANDO  $P \text{ COS } \beta$  EM (2)

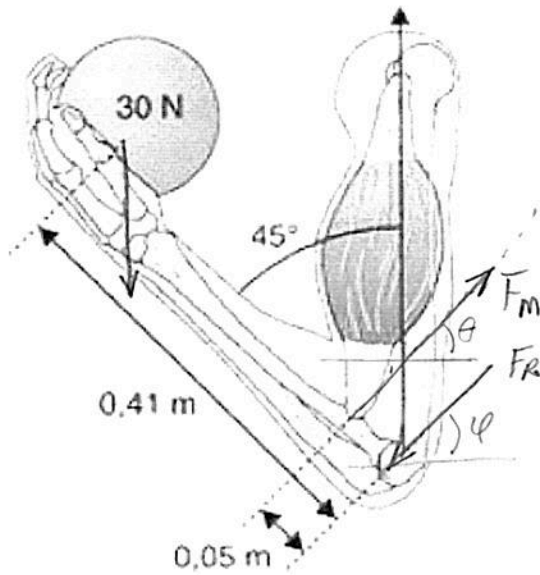
$R^2 \cong 363737$

$R \cong 657 \text{ N}$

$R \cong 603 \text{ N}$



7)

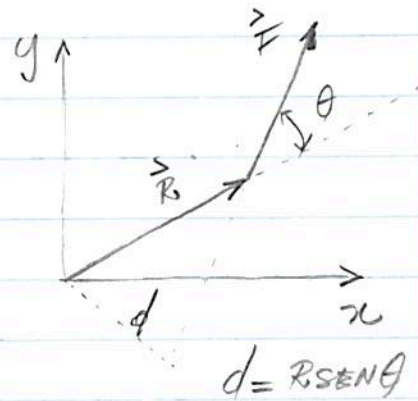


MOMENTO OU TORQUE:

$$\vec{C} = \vec{M} = \vec{R} \times \vec{F}$$

INTENSIDADE

$$M = RF \text{sen} \theta$$



a) CONDIÇÕES DE EQUILÍBRIO

Em  $x$        $F_m \cos \theta = F_R \cos \varphi$

Em  $y$        $F_m \sin \theta = F_R \sin \varphi + 30 \text{ N}$

TORQUE       $(0,05) F_m \sin \theta = (0,41)(30) \quad ; \text{ com } \theta = 45^\circ$

$$F_m \cong 347,9 \text{ N}$$

b)

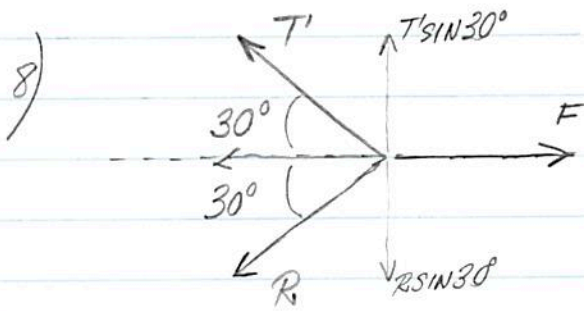
$$F_R \cos \varphi = (347,9) \cos 45^\circ \cong 246 \text{ N}$$

$$F_R \sin \varphi = (347,9) \sin 45^\circ - 30 \cong 216 \text{ N}$$

QUADRANDO E SOMANDO:

$$F_R = \sqrt{(246)^2 + (216)^2}$$

$$F_R \cong 327,4 \text{ N}$$



NO EQUILÍBRIO

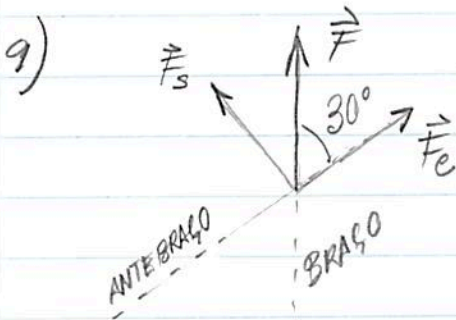
$$F = T \cos 30^\circ + R \cos 30^\circ$$

AGORA  $R = mg = (3,6)(9,81) \text{ N}$

$$T \sin 30^\circ = R \sin 30^\circ \Rightarrow R = T$$

$$\therefore F = 2R \cos 30^\circ$$

$$F = 61,17 \text{ N}$$



$$|\vec{F}| = 70 \text{ N}$$

a)  $F_e = 70 \cos 30^\circ \approx 60,6 \text{ N}$

b)  $F_s = 70 \sin 30^\circ = 35 \text{ N}$

10) UTILIZANDO A TABELA 3.1 (MATERIAL DE APOIO)

$$M = 70 \text{ kg}$$

$$H = 1,80 \text{ m}$$

MASSA DE CADA PARTE

$$\text{COXAS} = 0,215 \times 70 = 15,05$$

$$\text{PERNAS} = 0,096 \times 70 = 6,72$$

$$\text{PÉS} = 0,034 \times 70 = 2,38$$

COORDENADAS ILÍACO-FEMORAIS

$$y_0 = (0,0504)(1,80) = 0,09072 \text{ m}$$

$$y_{cm} = 0,46 \text{ m}$$

$$z_0 = (0,5213)(1,80) = 0,93834 \text{ m}$$

$$z_{cm} = 0,94 \text{ m}$$

COORDENADAS HORIZONTAIS:

$$\text{COXAS: } y_1 = y_0 + (0,5213 - 0,4248)(1,80) = 0,26442$$

$$\text{PERNAS: } y_2 = y_0 + (0,5213 - 0,1819)(1,80) = 0,70164$$

$$\text{PÉS: } y_3 = y_0 + (0,513 - 0,0178)(1,80) = 0,99702$$

$$y_{cm} = (0,26442)(15,05) + (0,70164)(6,72) + (0,99702)(2,38) / (24,15) = 0,46 \text{ m}$$